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Abstract—Visible remotely sensed images usually suffer from the haze, which contaminates the surface radiation and degrades the data quality in both spatial and spectral dimensions. This study proposes a spatial–spectral adaptive haze removal method for visible remote sensing images to resolve spatial and spectral problems. Spatial adaptation is considered from global and local aspects. A globally nonlinear atmospheric light model is constructed to depict spatially varied atmospheric light. Moreover, a bright pixel index is built to extract local bright surfaces for transmission correction. Spectral adaptation is performed by exploring the relationships between image gradients and transmissions among bands to estimate spectrally varied transmission. Visible remote sensing images featuring different land covers and haze distributions were collected for synthetic and real experiments. Accordingly, four haze removal methods were selected for comparison. Visually, the results of the proposed method are completely free from haze and colored naturally in all experiments. These outcomes are nearly the same as the ground truth in the synthetic experiments. Quantitatively, the mean-absolute-error, root-mean-square-error, and spectral angle mean-absolute-error, root-mean-square-error, and spectral angle are the smallest, and the coefficient-of-determination ($R^2$) is the largest among the five methods in the synthetic experiments. $R^2$, structural similarity index measure, and the correlation coefficient between the result of the proposed method and the reference image are closest to 1 in the real data experiments. All experimental analyses demonstrate that the proposed method is effective in removing haze and recovering ground information faithfully under different scenes.

Index Terms—Bright pixel index (BPI), dark channel prior (DCP), haze removal, spatial–spectral adaptive.

I. INTRODUCTION

DURING the acquisition of Earth’s surface information by satellite imaging systems, radiation undergoes a complicated process through the path of sun–atmosphere–Earth’s surface–atmosphere–sensor [1]. Radiative transfer mostly occurs in the atmosphere, which inevitably affects the accuracy of the recorded ground information [2]. Haze is a typical type of turbid atmosphere that consists of small dust particles or liquid droplets and occurs frequently [3]. Scattering triggered by these turbid particles causes radiance distortion in the spatial and spectral dimensions for remote sensing images, particularly in the visible bands owing to the short wavelengths, thereby resulting in difficult image interpretation and inversion. Therefore, haze removal should be conducted and the ground information for a hazy visible image should be restored.

Several methods that have been proposed to implement haze removal can be grouped into two categories, namely multimodal- and single-image-based methods. Multimodal-based methods remove haze by utilizing complementary information from other temporal or spectral images [4]–[9]. For these types of methods, the requirements for the reference data limit their generalization, and the available ground information in the original hazy region is not fully utilized. By contrast, single-image-based methods maximize the information from hazy images to remove haze, which is considerably general but challenging. This study focuses on single-image-based methods.

In general, the single-image-based haze removal methods comprise the radiative transfer model (RTM) [10]–[15] and statistical information-based methods [16]–[36]. On the one hand, RTM-based methods require the simultaneous atmospheric property-related parameters, which are often unavailable and difficult to obtain accurately. Moreover, RTMs substantially focus on the global vertical variation rather than the local horizontal variation of the atmosphere, such as haze. To overcome this shortcoming, Liang et al. [14], [15] proposed to build a lookup table to obtain the horizontally varied aerosol optical depth (AOD). However, land covers were initially required, which is also a problem for many hazy visible images.

On the other hand, statistical information-based methods mainly utilize the image characteristics of haze to realize the removal, which is independent of the atmospheric parameters and models. These methods can be divided into three classes: frequency domain—[16], [17], spectral transformation—[18]–[25], and dark pixel-based methods—[26]–[36]. First, haze can be removed in the frequency domain by suppressing and enhancing low- and high-frequency information, respectively. However, the valid low-frequency information will be
inevitably damaged or lost while haze is being removed. Second, spectral transformation-based methods take advantage of the radiance differences of the ground and haze between bands to detect and remove haze. Representative spectral transformations include haze optimized transformation (HOT) [18]–[20], tasseled cap transformation [21], [22], and component analysis [23], [24]. In those transformation-based methods, all pixels, including the hazy and clear ones, are altered, thereby resulting in the frequent appearance of radiation distortion. Third, dark pixel-based methods are ancient and meanwhile developed. The primary one is the dark object subtraction (DOS) [26], in which the value of the dark object represents the influence of the atmosphere in each band. On the basis of this idea, some new haze removal methods, such as an improved DOS technique [27], haze thickness map-based method [28], and dark channel prior (DCP)-based method [29], have been developed by searching the dark pixel globally or locally in a band or in multiple bands. Global operation is usually suitable for globally invariant haze, whereas local operation is appropriate for spatially varied haze. Moreover, searching in multiple bands provides a higher probability for the existence of dark pixels than merely searching in one band. DCP is constructed on the basis of local searching in multiple bands for haze removal in close shot images. Given the validity of DCP, some DCP-based haze removal methods for remote sensing images have been proposed and improved [30]–[36].

In general, dark pixel-based methods are effective in removing haze and maintaining clear regions. To date, these methods have been the most commonly used haze removal methods. However, note that the existence of dark pixels is the key to realizing total haze removal. Once the dark pixel is absent (e.g., in bright soils), the concerned region would be mistaken as haze and overcorrection would occur thereafter [29]. Different bands are often processed individually or equally, disregarding the correlation of haze between bands, which is also a problem for the other type of statistical information-based methods. The band-by-band operation is the main reason for the spectral distortion in the haze removal results [27].

To overcome the overcorrection and spectral distortion shortcomings, this study proposes a spatial–spectral adaptive haze removal method for visible remote sensing images. Spatial adaptation is conducted by considering varied atmospheric light and bright surfaces. Spectral adaptation is performed by estimating the band varied transmission. The remainder of this article is organized as follows. Section II briefly describes the hazy image model and DCP. Section III provides the details of the proposed haze removal method. Section IV presents the experimental results and comparative analysis. Lastly, Section V summarizes this article.

II. BACKGROUND

A. Hazy Image Model

Radiation interacts with the land surface and turbid atmosphere before it reaches the sensor, as illustrated in Fig. 1.

To describe the imaging process, a widely used hazy image model has been proposed, which can be expressed as:

$$I(x) = J(x)r(x) + A(1 - t(x))$$  \hspace{1cm} (1)

where $x$ is the position of the pixel in the image; $I$ is the observed image; $t$ is the transmission, indicating the portion of ground radiance that reaches the sensor; $A$ is the atmospheric light, which is a constant when the atmospheric scattering intensity is uniform [38]; and $J$ denotes the clear image. The goal of haze removal is to initially estimate $A$ and $t$ from $I$, and recover $J$ thereafter according to the model.

B. Dark Channel Prior

DCP describes a statistical law, which states that the intensity of some pixels in nonsky local patches will be extremely low and tends to zero in at least one or several bands for clear images [29]. For an arbitrary image $J$, its dark channel can be calculated by using two minimum operators:

$$J_{\text{dark}} = \min_{\Omega(x)} \left( \min_{c \in \{r, g, b\}} J^c(x) \right)$$  \hspace{1cm} (2)

where $c$ represents the visible bands of $J$, $\Omega(x)$ is the local window centered at $x$, $\min_{c \in \{r, g, b\}}$ is the minimum operator performed on each pixel, $\min$ is a minimum filter with window size $\Omega(x)$, and $J_{\text{dark}}$ represents the dark channel of image $J$.

By coupling the hazy image model and DCP, the key parameter (i.e., transmission) can be estimated as follows:

$$t = \frac{1 - \hat{J}_{\text{dark}}}{1 - J_{\text{dark}}}$$  \hspace{1cm} (3)

where $\hat{J}$ and $\hat{J}$ are the images of $J$ and $J$, respectively, normalized by $A$; and $J_{\text{dark}}$ and $\tilde{J}_{\text{dark}}$ represent the dark channel of $\hat{J}$ and $\hat{J}$, respectively. When dark pixel exists in the local patch, the transmission can be estimated correctly. Otherwise, the transmission will be underestimated, which will cause color distortion.

III. Method

Haze in remote sensing images shows several prominent characteristics, covers a large area, holds high radiance, gradually changes in space, and varies among bands. Dark pixels
can be found in remote sensing images, thereby ensuring the availability of DCP for remote sensing haze removal. However, numerous bright surfaces are distributed on Earth, where dark pixels are lacking, thereby making DCP invalid in some regions. Only one transmission can be directly estimated by DCP, neglecting the haze effects variation among bands. The neglect causes insufficient correction to appear in some bands, thereby leading to the final color distortion. To solve these problems, this study proposes an adaptive haze removal method from the spatial and spectral aspects.

### A. Spatial Adaptive Processing

#### 1) Nonuniform Atmospheric Light Estimation: Previous studies have often assumed that atmospheric light is constant for a scene. This assumption is true for the majority of close-shot images because the atmospheric scattering intensity in images is stable [38]. However, for remote sensing images with broad imaging range, the scattering intensity varies spatially (see Fig. 2). The haze in region B is thicker than that in region A [see Fig. 2(a)], thereby indicating that the corresponding scattering intensity is different, as illustrated in Fig. 2(b). In general, the larger the scene, the more uneven the scattering intensity. Therefore, an atmospheric light estimation algorithm should be developed to depict the heterogeneity of atmospheric scattering for a large scene.

For remote sensing images, we take the general atmospheric light as basis and variation as an increment to estimate nonuniform atmospheric light. Thereafter, the nonuniform atmospheric light $A_{\text{non}}$ can be expressed as follows:

$$A_{\text{non}} = A_{\text{basis}} + \Delta A_{\text{local}}$$  

where $A_{\text{basis}}$ and $\Delta A_{\text{local}}$ are the general atmospheric light and increment of the atmospheric light, respectively.

The general atmospheric light $A_{\text{basis}}$ reflects the atmospheric light of the global scene, which can be estimated according to the solution proposed by He et al. [29]. The increment describes the difference between the local and global scenes, which can be estimated through the background brightness of images. The low-frequency portion of images is commonly taken to represent the background brightness of such images and is calculated in this study using Gaussian low-pass filter. In addition, a minimum filter is adopted to ensure that the atmospheric light in a local region is stable.

#### 2) Transmission Correction for Bright Surfaces: As there is a lack of dark pixels in bright surfaces, the transmission of these regions will likely be underestimated, as shown in the red rectangles marked in Fig. 3(a). To solve this problem, a bright pixel identification algorithm is proposed to extract the underestimated transmission. Thereafter, an adaptive correction function is applied to revise the transmission.

For a bright pixel, the color is often white. This phenomenon indicates that the intensity in each band is extremely high, whereas the differences are extremely small between bands. These characteristics are used as bases to construct the following bright pixel identification algorithm called bright pixel index (BPI):

$$\text{BPI}(x) = \frac{\max_{c \in \{r,g,b\}} I_c(x) - \min_{c \in \{r,g,b\}} I_c(x)}{\min_{c \in \{r,g,b\}} I_c(x)}$$  

Hence, the increment can be expressed as follows:

$$\Delta A_{\text{local}} = \min_{\Psi} \tilde{I} - \tilde{I}_{\text{min}}$$  

where $\tilde{I}$ is the background brightness of an image, $\tilde{I}_{\text{min}}$ is the minimum value of $\tilde{I}$, and $\min_{\Psi}$ is a minimum filter with window $\Psi$. The window size is initialized by visually measuring the spatial variation of haze, and determined thereafter by interacting with the results. In general, the more uniform the haze, the larger the initialization window size should be. Moreover, $\Delta A_{\text{local}}$ is the estimated atmospheric light increment.

To correct the transmission for bright pixels, a correction coefficient $C$ is introduced to obtain the surface-adaptive transmission $\tilde{t}$, which can be expressed as follows:

$$\tilde{t}(x) = \begin{cases} t(x), & x \notin \Phi \\ \min(C(x) \cdot t(x), t_0), & x \in \Phi \end{cases}$$  

where $\Phi$ is the set of bright pixels. Theoretically, the transmission is between 0 and 1, while its value in the bright surface may exceed 1 after revision. Hence, an upper bound $t_0 = 0.95$ is set to restrict the value. The reason for setting this value is that the dark channel intensity considerably approximates 0 but larger than that in remote sensing images.
That is, the transmission of the visually clear atmosphere is slightly below 1.

The problem is about calculating $C$. If the bright pixel holding the lowest value in the dark channel is assumed to be clear, then its corresponding transmission should be equal to 1. Thereafter, (3) indicates that the corresponding correction coefficient for this pixel can be calculated as follows:

$$C_m = \frac{1}{1 - \min_{x \in \Phi} \hat{I}(x)_{\text{dark}}}$$

where $\min_{x \in \Phi} \hat{I}(x)_{\text{dark}}$ is the minimum value in the dark channel among the bright pixels. As the intensity of a bright pixel increases, the transmission will be further underestimated, which means that the corresponding correction coefficient should be larger. In addition, the relationship between the real and underestimated transmissions is an inverse proportional function related to the dark channel. Therefore, to ensure that the corrected transmission is as close as possible to the real situation, an adaptive function is constructed to stretch $C_m$, which can be expressed as follows:

$$C(x) = \frac{\max_{x \in \Phi} \hat{I}(x)_{\text{dark}} - \min_{x \in \Phi} \hat{I}(x)_{\text{dark}}}{\max_{x \in \Phi} \hat{I}(x)_{\text{dark}} - \hat{I}(x)_{\text{dark}}} \cdot C_m$$

where $\max_{x \in \Phi} \hat{I}(x)_{\text{dark}}$ is the maximum of the dark channel among the bright pixels, and $C$ denotes the correction coefficient. After the adaptive correction strategy is adopted, the underestimated transmission can be refined [see Fig. 3(c)].

**B. Spectral Adaptive Processing**

Atmospheric scattering law states that haze effects vary in different bands [27], thereby indicating that transmission is wavelength-dependent. Concretely, the longer the wavelength, the larger the transmission. However, the difference in transmission between bands is often disregarded, resulting in the incomplete removal of haze in short-wavelength bands. To clear the haze in each visible band, a gradient-based spectral adaptive processing procedure is proposed.

In general, the influence of haze is twofold: it increases brightness and reduces gradient [16]. Brightness can be attributed to haze cover or high reflectance of the land surface. Thus, brightness is not a distinctive feature of haze. On the contrary, the blur effect of haze is independent of land cover, and can be expressed by the image gradient describing the relative relationship among pixels. As wavelength increases, the blur influence becomes weaker and the gradient higher.

Evidently, gradient and transmission reflect the influence of haze and are positively related to wavelength. Therefore, it is natural to surmise that the two variables are correlated. To verify this assumption, 500 subimages with a size of $200 \times 200$ pixels were cropped from different images. After normalization, the gradient of each band was calculated and fit thereafter with the transmission. In particular, gradient and transmission are represented by their average values, which are denoted as $\bar{G}$ and $\bar{t}$, respectively. The results of this experiment indicate that the gradient of the red band and the transmission show the closest linear correlation, with $R^2$ reaching 0.829, as illustrated in Fig. 4.

This result proves that the linearity between the two variables is universal and significant, which can be modeled as follows:

$$\bar{t} = a \cdot \bar{G_r} + b$$

where $a$ and $b$ are the fitting coefficients.

Given the high correlation between the visible bands, the presumption is that the linearity relationship in (10) is also suitable for the other visible bands. Therefore, the relative relationship of the transmission between visible bands can be determined by their average gradient. Note that (10) is inadaptable to near-infrared or longer wavelengths because of the lack of a high correlation between visible and near-infrared or longer wavelengths. In addition, the statistics of the sources of dark pixels was performed, and that the majority of the dark pixels are from the red band of a hazy image and a few are from other visible bands. Thus, the spatially corrected transmission is considered suitable for removing haze in the red band. Therefore, the transmission of each visible band is given as follows:

$$t_r = \bar{t}, \quad t_g = \frac{a \cdot \bar{G_g} + b}{a \cdot \bar{G_r} + b}, \quad t_b = \frac{a \cdot \bar{G_b} + b}{a \cdot \bar{G_r} + b}$$

where $\bar{G_g}$ and $\bar{G_b}$ represent the average gradient of the green and blue bands, respectively, and $t_i$ indicates the transmission of band $i$. Given that the derived transmission is merely an approximation, a guided filter is introduced to avoid some halo and block artifacts and to obtain the final band-varying transmission.

**IV. Experiments**

To validate the effectiveness of the proposed method, several visible remote sensing images selected from different scenes were collected for synthetic and real experiments. Four haze removal methods, including HOT [18], fast visibility restoration (FVR) [40], traditional DCP (TDCP) [29], and dark channel-saturation prior (DSP) methods [34], were compared with the proposed method. For a fair comparison, the optimal parameters used in these methods were determined.
using iterative adjustment. Four indexes, namely, mean-
absolute-error (MAE), coefficient-of-determination ($R^2$),
root-mean-square-error (RMSE), and spectral angle (SA),
were calculated to measure the haze removal results in
the synthetic experiments. Visual assessments were performed
in real experiments. For the quantitative assessment, $R^2$,
structural similarity index measure (SSIM), and correlation
coefficient (CC) were calculated by taking a clear image with
a minimal time difference as reference.

### A. Parameter Design for Comparison Methods

Four methods, namely, HOT, FVR, TDCP, and DSP, were
chosen for comparison. For HOT, the hierarchical interval $l$
used to slice the HOT map is the key parameter. The smaller
the $l$, the more complete the haze removal. To obtain clean
results, $l$ is set to 1. For FVR, the percentage of restora-
tion $p$, white balance level $b$, the maximum size of the white
objects $s_v$, maximum window size for the adapted filtering $s_i$
and gamma correction intensity $g$ are the five parameters
affecting the results. $p$ is set to 1 to restore the image
completely. Tarel and Hautiere [40] suggested that
is set to 1 to restore the image
completely. Tarel and Hautiere [40] suggested that

$$s_v = \frac{2 \max(m, n)}{50} + 1$$

where $m$ and $n$ are the sizes of the input image. $s_i$ is used
for softening the noise. Experiments indicate that 50 is a
suitable value. To maintain the spectra of clear regions, $g$
is set to 1. For TDCP, the key parameter is the window size $w$.
By testing different $w$ for each image, the optimal sizes shown
in Figs. 5–10 are $7 \times 7$, $5 \times 5$, $13 \times 13$, $5 \times 5$, and $7 \times 7$, respectively. For DSP, the haze removal procedure
is adaptive, and no parameter is required to be set manually.
These algorithms run on a Windows 10 operating system using
a 3.0-GHz Intel Core i5-8500 processor.

### B. Synthetic Experiments

The generation of synthetic hazy images was based on the
hazy image model expressed in (1). $J$ was the selected
clear image (i.e., ground truth). The atmospheric light $A$
was estimated from a real hazy image via the nonuniform
atmospheric light model. The transmission in the red band
$t_r$ was calculated using DCP. The transmission in the other
visible bands was derived using the scattering law, which can
be expressed as follows [29]:

$$t_i = t_r \left(\frac{\lambda}{\lambda_i}\right)^\gamma$$

where $\lambda$ is the central wavelength, the subscript $r$ denotes the
red band, $i$ represents the green or blue band, and $\gamma$ is the
variable varying from 0 to 4. Once the $A$ and band-varied $t$
are obtained, the hazy image is synthetized.

Figs. 5 and 6 show two synthetic hazy images with different
spatial resolutions and the corresponding haze removal results.

Fig. 5(g) shows a clear image with 30-m spatial resolution
cropped from Landsat-8 Operational Land Imager (OLI).
Fig. 5(a) illustrates a synthetic hazy image, in which the
haze shows significant spatial variation. Fig. 5(b)–(f) show the
results of HOT, FVR, TDCP, DSP, and the proposed method,
respectively. Visually, HOT successfully removes haze over
the full scene but presents evident color distortion, which
is extremely different from the ground truth. In the result
of FVR, most haze can be removed but residuals remain.
Moreover, bare soils are dark compared with the ground truth,
which can be attributed to the overcorrection in these regions.
In Fig. 5(d), part of haze remains and the overcorrection
appears at some regions, thereby suggesting that TDCP cannot
considerably handle spatially varied haze and bright surfaces.
Furthermore, the corrected regions look bluish owing to the
insufficient correction for the green and blue bands. As a
result, DSP shows that the image is partially free from haze
and with a higher brightness than the ground truth. The reason
is that the saturation prior used in DSP is minimally valid
in such an image, thereby leading to the overestimation
of transmission and undercorrection of the result. The result
of the proposed method indicates that the image details are
substantially retrieved and the color is closer to the ground
truth visually compared with the other results. Overall, the
proposed method outperforms the compared methods in terms
of haze removal and color fidelity by visual assessment.

To measure the proposed method quantitatively, four
metrics, MAE, RMSE, $R^2$, and SA, were selected. Their
definitions are as follows [41], [42]:

$$\text{MAE} = \frac{1}{n} \sum_{i=1}^{n} |\hat{J}_i - J_i|$$

$$\text{RMSE} = \sqrt{\frac{\sum_{i=1}^{n} (\hat{J}_i - J_i)^2}{n}}$$

$$R^2 = \frac{\sum_{i=1}^{n} (\hat{J}_i - \bar{J})^2}{\sum_{i=1}^{n} (J_i - \bar{J})^2}$$

$$\text{SA} = \frac{1}{n} \sum_{i=1}^{n} \cos^{-1} \left( \frac{\hat{J}_i J_i}{\sqrt{\hat{J}_i^2 J_i^2}} \right)$$

where $\bar{J}$ is the mean value of $J$.

Table I lists the statistical results of these metrics. As
indicated by MAE and RMSE, the scores of the proposed method
are considerably lower than that of the compared methods.
This result suggests that the surface information can be
restored accurately in hazy regions and maintained well in
clear regions. $R^2$ shows that the score of the proposed method

<table>
<thead>
<tr>
<th>Method</th>
<th>HOT</th>
<th>FVR</th>
<th>TDCP</th>
<th>DSP</th>
<th>Proposed</th>
</tr>
</thead>
<tbody>
<tr>
<td>MAE</td>
<td>11.4153</td>
<td>17.9156</td>
<td>9.7371</td>
<td>12.0504</td>
<td>1.5298</td>
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<tr>
<td>$R^2$</td>
<td>0.7193</td>
<td>0.5900</td>
<td>0.8304</td>
<td>0.6012</td>
<td>0.9477</td>
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<tr>
<td>RMSE</td>
<td>11.8321</td>
<td>19.4861</td>
<td>10.6673</td>
<td>13.7567</td>
<td>2.1304</td>
</tr>
<tr>
<td>SA</td>
<td>3.7637</td>
<td>2.5334</td>
<td>2.2904</td>
<td>2.5217</td>
<td>0.5872</td>
</tr>
</tbody>
</table>
Fig. 5. Haze removal results for a synthetic image based on Landsat-8 OLI. (a) Synthetic image. (b) HOT. (c) FVR. (d) TDCP. (e) DSP. (f) Proposed method. (g) Ground truth.

is up to 0.9477, which indicates that the restored information in each band is highly consistent with that of the ground truth. Furthermore, SA of the proposed method is 0.5872, which is considerably lower than that of the other methods. That is, the spectral difference between the result and the ground truth is extremely small. All quantitative assessments suggest that the proposed method is effective in accurately correcting hazy ground information and considerably maintaining the clear regions.

Another synthetic hazy image was generated based on GaoFen-1 WFV with a 16-m spatial resolution [see Fig. 6(a)]. Fig. 6(b)–(f) shows the haze removal results using a variety of methods. Fig. 6(g) illustrates the ground truth. Fig. 6(b) shows that HOT removes most haze over the entire scene while residuals remain. That is because the land covers of the clearly referenced regions are different from those of the hazy regions, thereby leading to inaccuracy in the estimated HOT map. The results of FVR, TDCP, and DSP show a similar performance with the result in Fig. 5. For the result of the proposed method, all the haze is removed and the entire image is substantially approximating the ground truth.

Table II presents the four metrics calculated. For the result of FVR, the scores are the worst in all metrics, which are similar to previous synthetic experiments. Compared with
Fig. 6. Haze removal results for a synthetic image based on GaoFen-1 WFV. (a) Synthetic image. (b) HOT. (c) FVR. (d) TDCP. (e) DSP. (f) Proposed method. (g) Ground truth.

TABLE II

<table>
<thead>
<tr>
<th></th>
<th>HOT</th>
<th>FVR</th>
<th>TDCP</th>
<th>DSP</th>
<th>Proposed</th>
</tr>
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<tbody>
<tr>
<td>MAE</td>
<td>7.148</td>
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<td>5.502</td>
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<td>$R^2$</td>
<td>0.4776</td>
<td>0.8060</td>
<td>0.8915</td>
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<tr>
<td>SA</td>
<td>2.6310</td>
<td>5.3177</td>
<td>3.2054</td>
<td>3.8166</td>
<td>1.2741</td>
</tr>
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</table>

For the result of HOT, the color of the entire image is distorted and the details are blurred [see Fig. 7(b)]. The FVR result is shown in Fig. 7(c), which illustrates that the dense haze and light haze are eliminated completely, and the contrast of the entire image is enhanced.

C. Real-Data Experiments

Fig. 7(a) shows a hazy image cropped from a forest area, which also contains large areas of bare soil and is characterized by uneven haze. The results of the different methods are shown in Fig. 7(b)–(f). For the result of HOT, the color of the entire image is distorted and the details are blurred [see Fig. 7(b)]. The FVR result is shown in Fig. 7(c), which illustrates that the dense haze and light haze are eliminated completely, and the contrast of the entire image is enhanced.
Fig. 7. Haze removal results for a forest image. (a) Hazy image. (b) HOT. (c) FVR. (d) TDCP. (e) DSP. (f) Proposed method.

Nevertheless, the result suffers from significant overcorrection, particularly in the bare-soil areas. Moreover, halo artifacts appear near the discontinuities owing to the “median of median filter” adopted in FVR [43] [see red rectangle in Fig. 7(c)]. Fig. 7(d) shows that the TDCP result is substantially better than the previous results, but part of haze remains and bare-soils are also overcorrected. Visually, the influence of haze is partially weakened by DSP, and the image details are enhanced, although some haze remains. In addition, the color of the bare soils is evidently distorted owing to the invalidation of the saturation prior to such a noncolorful scene, as shown in Fig. 7(e). Differing from the other results, the bare-soil areas are treated appropriately in the proposed method, and the haze influence in the visible bands is successfully removed [see Fig. 7(f)]. That is, the proposed method can faithfully recover color and significantly enhance the image details occluded by haze.

Fig. 8(a) shows a hazy bare land image, including abundant bare soils and some vegetation. Fig. 8(b)–(f) shows the results of the different methods. For the HOT result, nearly all haze is removed and the color is maintained substantially, although many texture details are blurred. Similar to the result of the previous experiment, the majority of the haze is successfully removed using FVR, whereas image color is distorted after the correction [see Fig. 8(c)]. TDCP maintains the general color of the image, but the haze is partially removed, as can be seen in Fig. 8(d). DSP has the same problem as TDCP. That is, haze cannot be removed completely, as can be observed from Fig. 8(e). For the result of the proposed method, all haze is successfully removed and the color of the dehazed regions is consistent with the clear regions. This result indicates that the haze influence in the spectral and spatial dimensions is eliminated, and the degraded information is recovered accurately using the proposed method.

Fig. 9(a) shows a coastal image containing a uniform haze and a large area of bright mudflats. Uniform haze can be easily removed by all the methods, but the large area of bright mudflats is a challenge. Note that the experimental data are cropped from a large image, and the clear regions required in HOT can be obtained from the remainder of the large image. The results of the different methods are shown in Fig. 9(b)–(f). The HOT result shows that the color of the entire scene is clearly distorted. For example, the water region is substantially darker than it should be. The FVR result shows that haze is removed completely, but the result suffers from significant overcorrection, particularly in the bright mudflat area. The TDCP result has the same problem as that of FVR (i.e., bright regions are overcorrected). The DSP result indicates that the color of the bare-soils is distorted, and the water surface is substantially darker than the surroundings, as shown in Fig. 9(e). The result of the proposed method is presented in Fig. 9(f), where the haze is eliminated considerably and
the image color is consistent with that of the original image. Moreover, for the large bright mudflat area, the proposed method can handle it correctly and recover the color faithfully. A pair of hazy and clear images was collected to further quantitatively investigate the haze removal ability of the proposed method for real hazy image. The hazy and clear images
were captured by OLI on July 1 and 17, 2014, respectively. The time interval of the two images is 16 days, a revisit period of OLI. Thus, the temporal variation of the ground surface was the smallest and can be disregarded, thereby enabling us to use the clear image as a reference [25], [28]. Moreover, the evaluations of the proposed method were performed through a comparison of the spectra and data consistencies.

Fig. 10(a) shows the hazy image acquired in a mountainous area. Evidently, the image includes vegetation, bare soil, and uneven haze. Fig. 10(b)–(f) shows the results of HOT, FVR, TDCP, DSP, and the proposed method, respectively. Fig. 10(e) presents the haze-free reference image acquired from the neighbor revisit period. Similar to previous real-data experiments, HOT and FVR can completely remove haze but can cause a slight color drift after the correction, as shown in Fig. 10(b) and (c). TDCP and DSP substantially maintain the color of the original clear regions, but the results contain residual haze leading to color distortion. For the proposed method, all haze can be completely removed, and the restored image is visually closest to the reference image.

A line that travels through the hazy regions was selected, as marked in red in Fig. 10(a). The mean profile curves of the visible bands are illustrated in Fig. 11. The curves of the different results are lower than that of the original hazy image, thereby indicating that the high brightness caused by haze is eliminated by these methods. Among these curves, the curve
of the proposed method is the lowest and is the closest to the reference image. That is, haze is removed properly and the restored information is highly consistent with the reference data. The reason why the two curves do not overlap completely is due to phonological changes and the varying atmospheric conditions. By analyzing the curve shapes, the result of the proposed method is similar to the original hazy image, thereby indicating that the spectra of the hazy regions are recovered faithfully while removing the haze.

Three metrics, $R^2$, SSIM, and CC, were calculated to further assess the data consistency between the different results and the reference image. The closer the metric to 1, the higher the consistency of the two images. The calculation formulas of SSIM and CC are as follows [41], [44]:

$$SSIM = \frac{(2\mu_J\mu_\hat{J} + c_1)(2cov_{J,\hat{J}} + c_2)}{\mu_J^2 + \mu_\hat{J}^2 + c_1^2}$$

$$CC = \frac{cov_{J,\hat{J}}}{\mu_J\mu_\hat{J}}$$

where cov is the covariance, $\mu$ is the standard deviation, and $c_1$ and $c_2$ are the constants that prevent the denominator from being 0.

Table III shows the average scores of the visible bands for these results. Obviously, all scores of the proposed method are higher than the other four and are the closest to 1. This result indicates that the restored image is highly consistent with the reference image.

The synthetic and real-data experiments indicate that the proposed method is effective in removing haze for various scenes. However, the proposed method would show limited performance when the haze intensity is high and seriously obscures surface information.

**V. Conclusion**

This article proposed a spatial–spectral adaptive haze removal method for single visible remote sensing images. Three innovations play important roles in ensuring the haze removal performance. First, the nonuniform atmospheric light model describes the variation of atmospheric scattering in the global scene to effectively remove uneven haze contamination. Second, spatial correction for the transmission based on BPI identification overcomes the underestimation of the TDCP method and makes the proposed method more suitable for complex scenes. Third, the relationship between gradient and transmission is maximized to adaptively calculate transmission according to the atmospheric scattering characteristic, which effectively maintains the color and spectral features of the data. Multiple visible remotely sensed images acquired from different atmospheric conditions and scenes were collected to perform synthetic and real-data experiments, thereby validating the universality and effectiveness of the proposed method. Visually, the proposed method was able to completely remove haze, and could faithfully restore image colors and details. Quantitatively, the results held superior performance in all metrics compared with the other methods. In addition, the profile curve of our result is the most consistent with that of the reference data, thereby verifying the spectral preservation and recovery abilities of the proposed method. Overall, the proposed method outperformed the four comparison methods, and is efficient for use with single remote sensing images with different scenes and various types of haze.

**References**


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